Overview of a Bayesian Music Segmenter

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Introduction

A new unsupervised Bayesian clustering model extracts classified structural segments, *intro*, *verse*, *chorus*, *break* etc., from recorded music. This extends previous work by identifying all the segments in a song, not just the chorus or longest section.

Feature Extraction

Segmentations

- Segmentations were performed on 14 popular music songs, downsampled to 11.025 kHz mono.
- Both the pairwise and central clustering algorithms were tested with between 2 and 10 final segment types.
- Annotations given by an expert listener were used as ground truth.
- Internal structure is frequently visible where repeated sections have been split between two clusters.

Evaluation

- i) Compare each output segment with the most closely corresponding ground truth segment using a directional Hamming distance. This measures the number of missed and falsely identified segment boundaries.
- ii) Calculate the mutual information between the ouput and expert segment labels for each frame. This measures the quality of the sequence of labels.

Monophonic audio Frame size = 600 ms Hop size = 200 ms Hop size = 200 ms Hop size = 200 ms

Example segmentations

Fragmentation tradeoff





Feature extraction process. One of two possible clustering methods is applied to the extracted HMM state histograms.



Nirvana:Smells Like Teen Spirit





time/s

Overall performance

⁴Number of clusters



(1) Pairwise Clustering

i) Measure the distance between all possible pairs of histograms using either cosine distance or a symmetrized Kullback-Leibler divergence:

$$d_{\mathrm{kl}}(\mathbf{x}, \mathbf{x}') = \sum_{i=1}^{M} \left[x_i \log \left(\frac{x_i}{q_i} \right) + x'_i \log \left(\frac{x'_i}{q_i} \right) \right]$$

- where $q_i = \frac{1}{2}(x_i + x'_i)$ and M is the number of bins in the histograms.
- ii) Using these pairwise distances D_{ij} derive the cost function

$$\mathcal{H}(m) = \frac{1}{2} \sum_{i=1}^{L} \sum_{j=1}^{L} \frac{D_{ij}}{L} \left(\sum_{\nu=1}^{K} \frac{m_{i\nu} m_{j\nu}}{p_{\nu}} - 1 \right)$$

- where $m_{k\nu}$ is an assignment of histogram *i* to one of *K* clusters ν , and *L* is the number of histogram frames.
- iii) Optimise this cost function using a form of meanfield annealing.



(2) Central Clustering

- i) Model the histograms as the result of drawing samples from probability distributions determined by Kunderlying classes. A_{jk} is the probability of observing the *j*th HMM state in the *k*th class, and C is the sequence of class assignments for a given sequence of L histograms X.
- ii) The overall log-likelihood of the model reduces to





1 - m

80 states.

Values of 1-f, corresponding loosely to precision, plotted against values of 1-m, analogous to recall, over all songs and segmentation methods presented. The optimal average tradeoff point is approximately (0.8,0.8).

Conclusions

- i) Both algorithms can produce segmentations similar to the ones provided by a human expert.
- ii) The numbers of missed and false boundaries increase with number of segment types requested, but so does the mutual information, showing that extra classes are put to good use.
- iii) Over-segmentation often reveals the internal structure of segments in a consistent way, revealing a sort of 'abstract score'.
- iv) Subsequent work solves the fragmentation problem by incorporating an explicit prior on segment durations.

References

[1] Q. Huang and B. Dom, "Quantitative methods of evaluating image segmentation," in *Proc. IEEE Intl. Conf. on Image Processing (ICIP'95)*, 1995.



 iii) Optimise this cost function using a form of deterministic annealing, equivalent to expectation maximisation with a 'temperature' parameter which gradually falls to zero.



Four sets of example machine segmentations, with the constant-*Q* spectrogram (top), HMM state histograms (second) and ground truth segmentations (bottom) for comparison. The ground truth segments are shown using different shades of grey for the different segment labels.

- [2] T. Hofmann and J. M. Buhmann, "Pairwise data clustering by deterministic annealing," *IEEE Transactions on Pattern Analysis and Machine Intelligence*, vol. 19, no. 1, 1997.
- [3] J. Puzicha, T. Hofmann, and J. M. Buhmann, "Histogram clustering for unsupervised image segmentation," *Proceedings of CVPR '99*, 1999.



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